

Modelica Library for Hybrid Simulation of Mass Flow in Process Plants



S. Fabricius and E. Badreddin

Modelica'2002, Munich, Germany

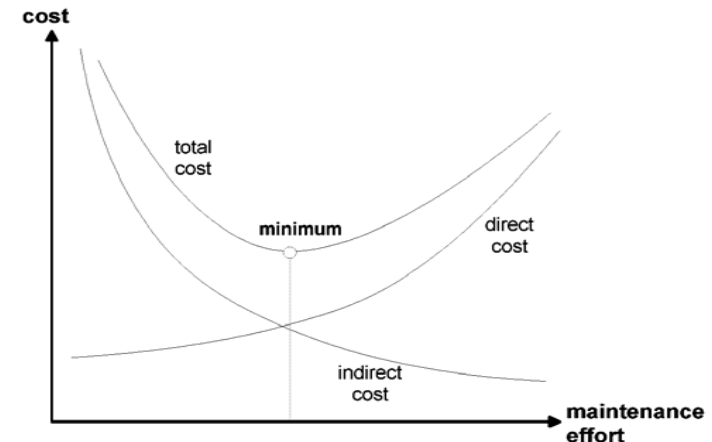
Copyright with the authors, Zurich, Switzerland, March 2002

Overview

- I. Background, motivation and solution approach
- II. Fundamental relations for quasi-steady-state fluid flow
- III. Modelica library implementation, selected component models
- IV. Application examples
- V. Conclusions
- VI. Look into two other libraries currently developed

Background and Motivation

- Operation, control, maintenance of process plants: energy, cost-intensive
 - Reduction of unplanned down-time due to component failures
 - Definition of cost-efficient strategy for maintenance and monitoring
- Aspects:
 - Technical
 - Organizational
 - Economic
 - Safety
- *multi-criteria optimization problem*



Solution Approach

- Extension of classical analysis concepts
 - Reliability data analysis
 - FTA, ETA, HAZOP...
 - Not sufficient, static characteristic
- Use of *dynamic plant models* for simulative investigation; account for:
 - Internal feedback loops
 - Non-linearities
- Main flow: Mass
Modelica fluid flow library
 - System level focus, quasi-steady-state fluid flow
 - Ease-of-use, openness, flexibility, scalability

Fundamental Relations

- Mass balance for fluid storage (liquids, constant density)

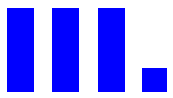
$$\frac{dM}{dt} = \sum_i \dot{m}_i$$

- Constitutive relation between flow rate and pressure drop

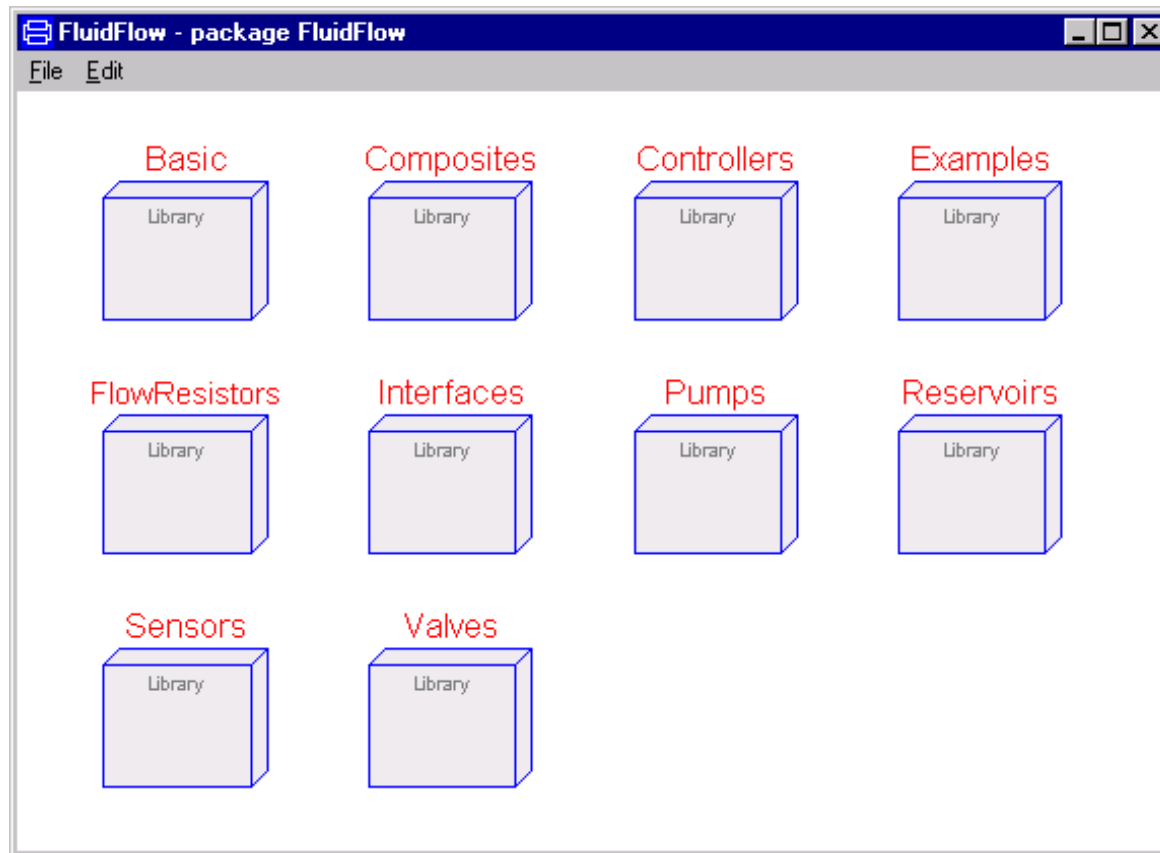
$$\Delta p = f(q)$$

- Mechanical energy along flow trajectories
(Bernoulli extended with frictional terms)

$$\frac{p}{\rho} + \frac{v^2}{2} + gz + \sum \Delta p_{friction} + \sum \Delta p_{pump} = constant$$



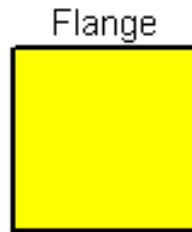
Library Structure





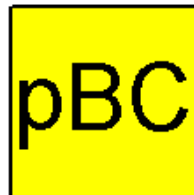
Connector, Boundary Conditions

- Flange



```
connector Flange  
  
    SI.Pressure p;  
  
    flow SI.VolumeFlowRate q;  
  
end Flange
```

- Flow and pressure boundary conditions

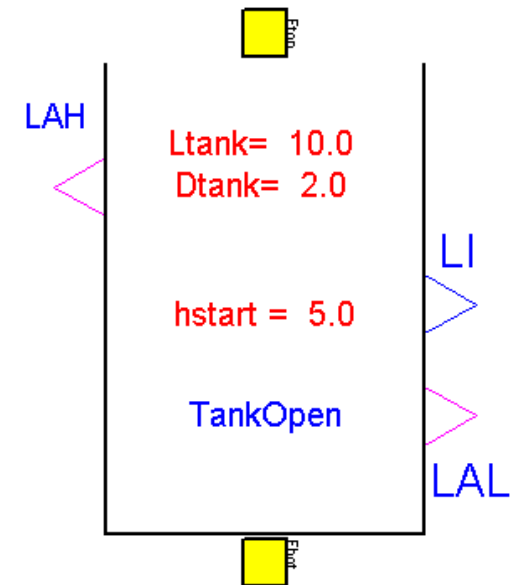


Fluid Storage, Open Tank Example

- Open to atmosphere, two flanges (top, bottom)
constant cross section A
- Tank level $\frac{dh}{dt} = \frac{1}{A} \sum_i q_i$
- Pressure distribution in the tank

$$p_{top} = p_{\infty}, \quad p_{bottom} = p_{\infty} + \rho gh$$

- Self contained, realistic in- and outflow
pressure drops (reversible and irreversible)



$$\Delta p_{fr,inlet} = \frac{\rho}{2} v_{inlet,pipe}^2, \quad \Delta p_{fr,outlet} = K_{con} \frac{\rho}{2} v_{inlet,pipe}^2$$

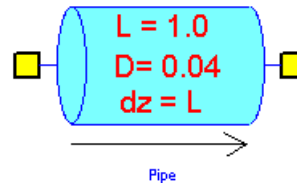


Flow Resistors, Bends, Pipes...

- Considered as purely resistive pressure drop $\Delta p = \zeta \frac{\rho}{2} v^2$ with $\zeta = f(\text{Re}, \text{geometry})$

- Bends (armatures...), constant factor k $\Delta p = k \cdot \frac{\rho}{2} v^2$

- Pipe $\Delta p = \lambda \frac{L}{D} \frac{\rho}{2} v^2$

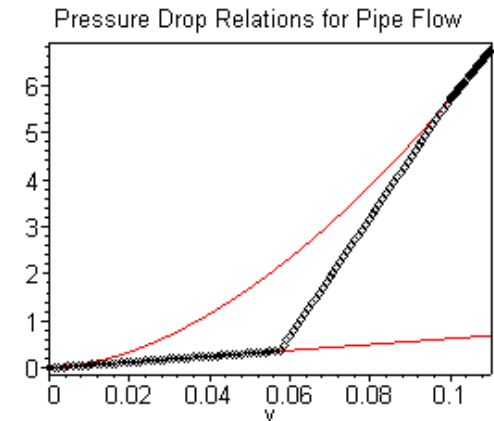


Pipe friction factor

- Laminar ($\text{Re} < 2300$)
- Turbulent ($\text{Re} > 4000$)
- Transient region

$$\lambda_{\text{laminar}} = \frac{64}{\text{Re}}$$

$$\lambda_{\text{turbulent}} = 0.364 \cdot \text{Re}^{-1/4}$$



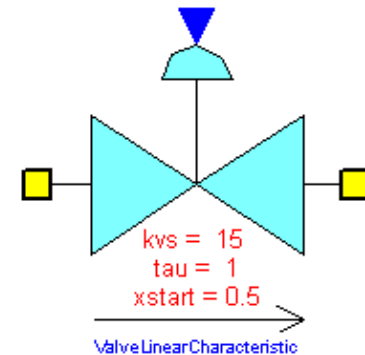
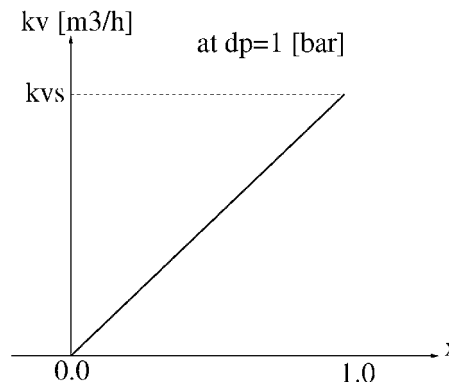


Valves

- Relation (fully open valve) $q = k_{vs} \cdot \sqrt{\frac{|\Delta p|}{p_0}} \cdot \text{sign}(\Delta p)$

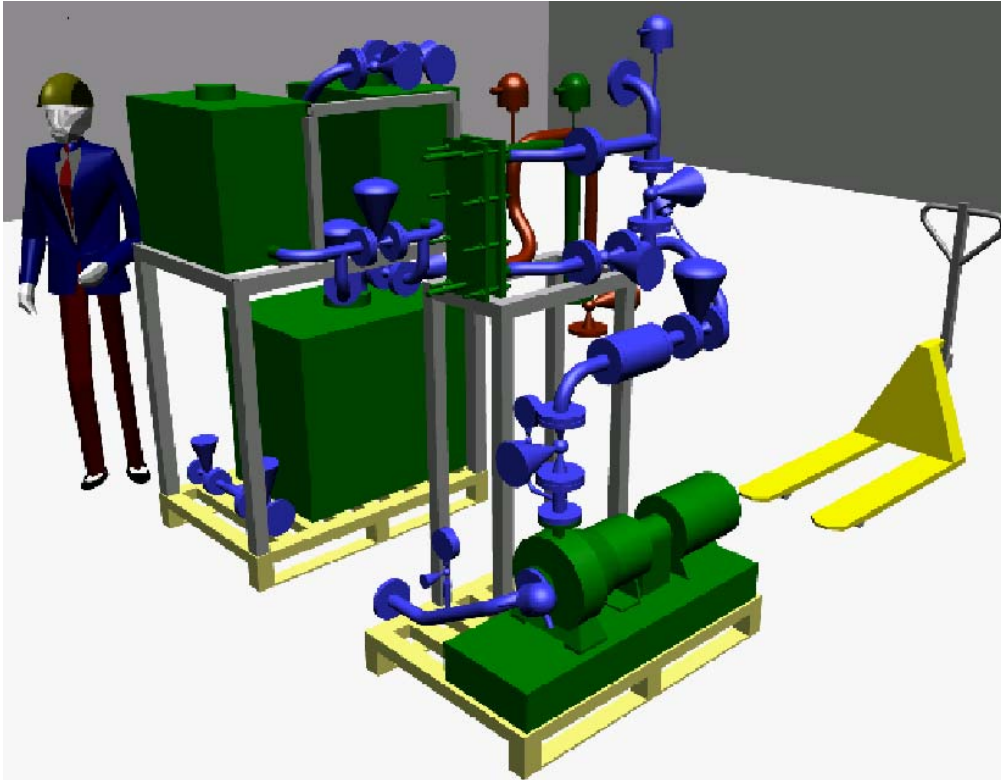
- Valve characteristic
(x: valve travel)

$$k_v = f(k_{vs}, x)$$

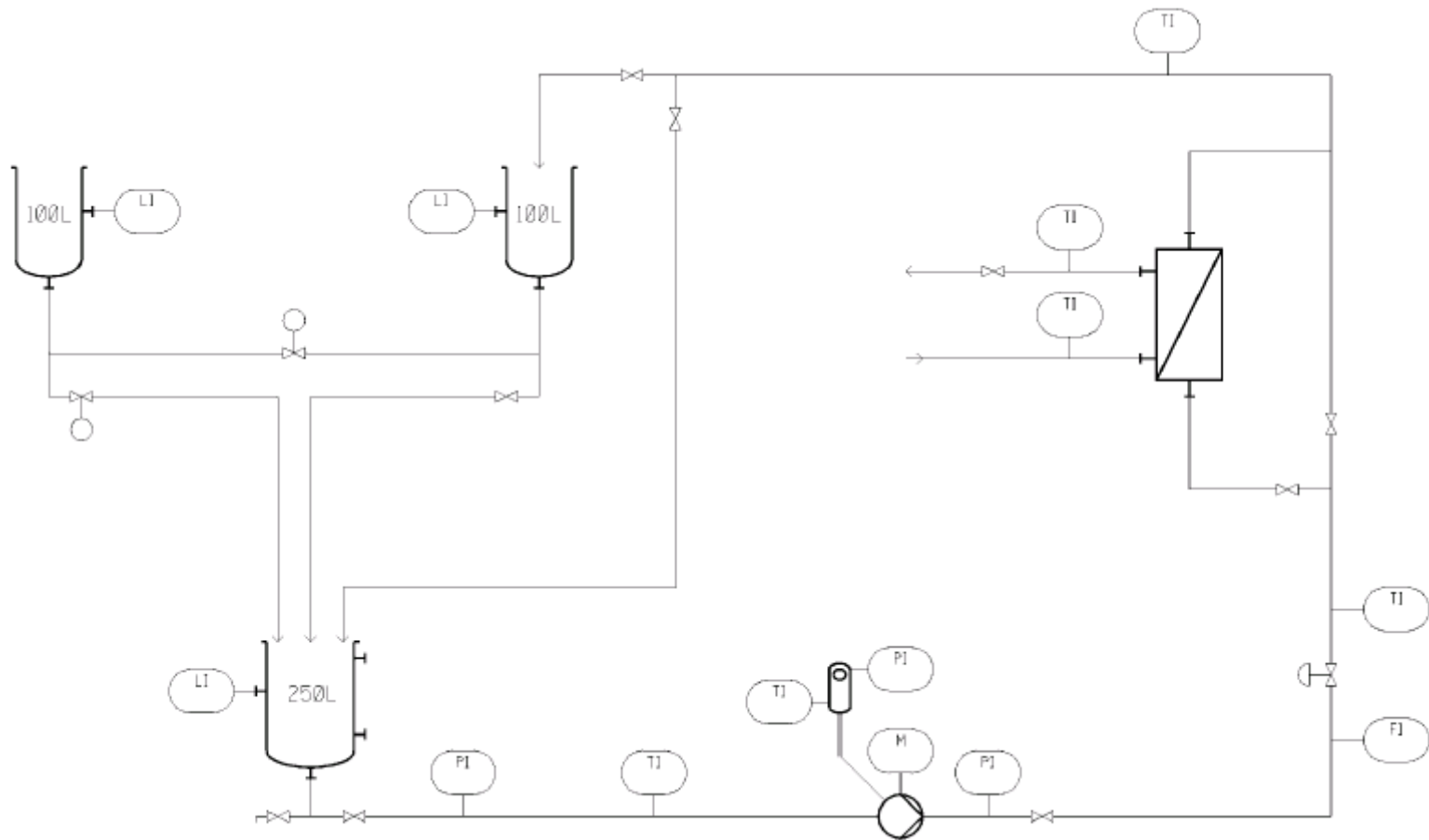


- With or without positioning dynamics
(e.g., servo-mechanism as first order exponential lag)

IV. Modeling Example: Laboratory Test-Bed

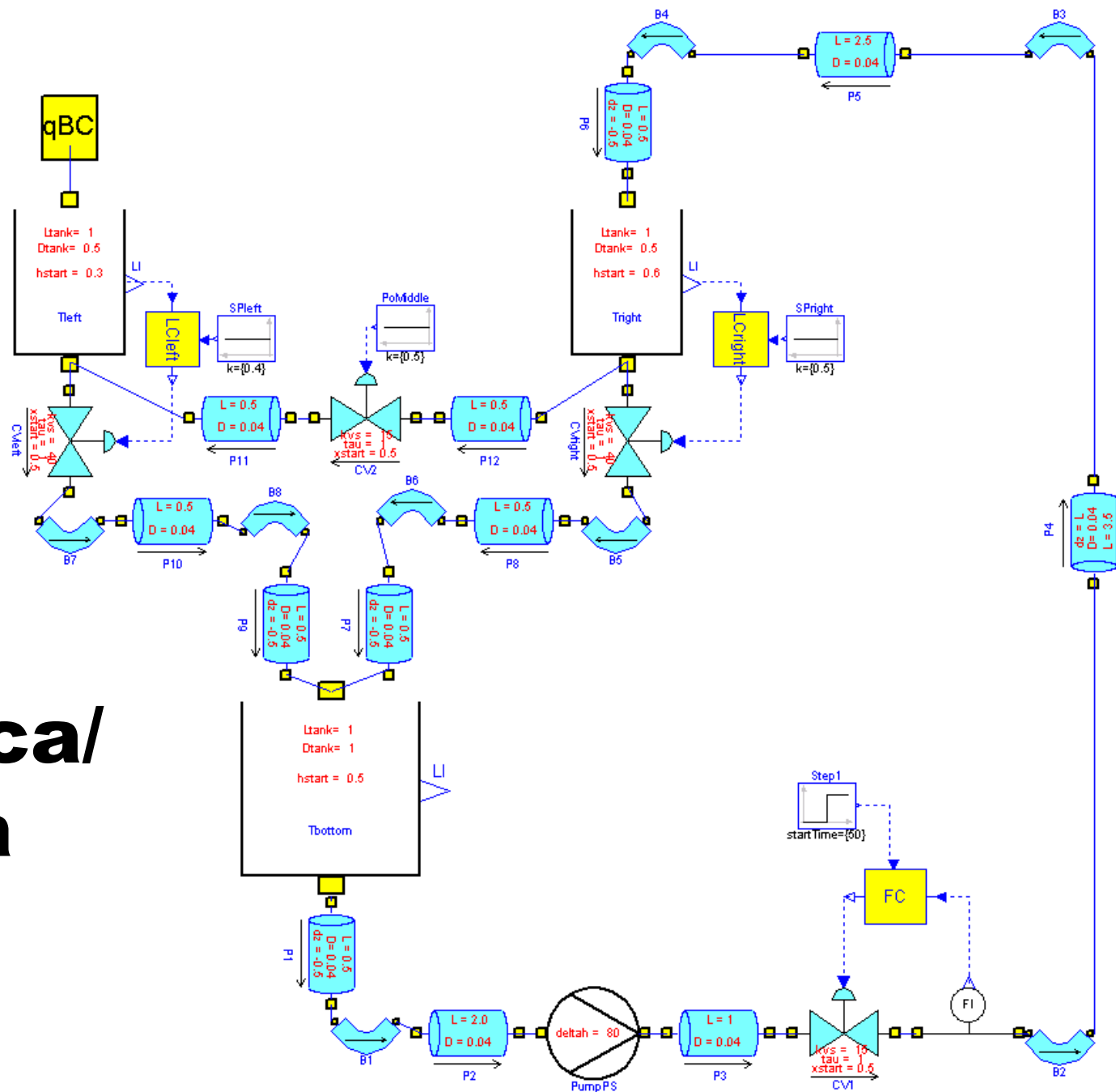


IV. Laboratory Test-Bed, PI-Scheme



IV.

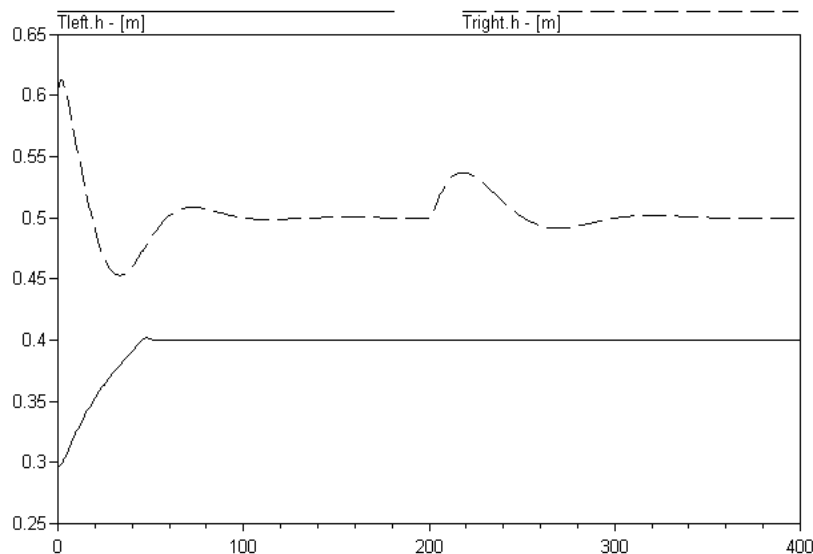
Modelica/ Dymola Model



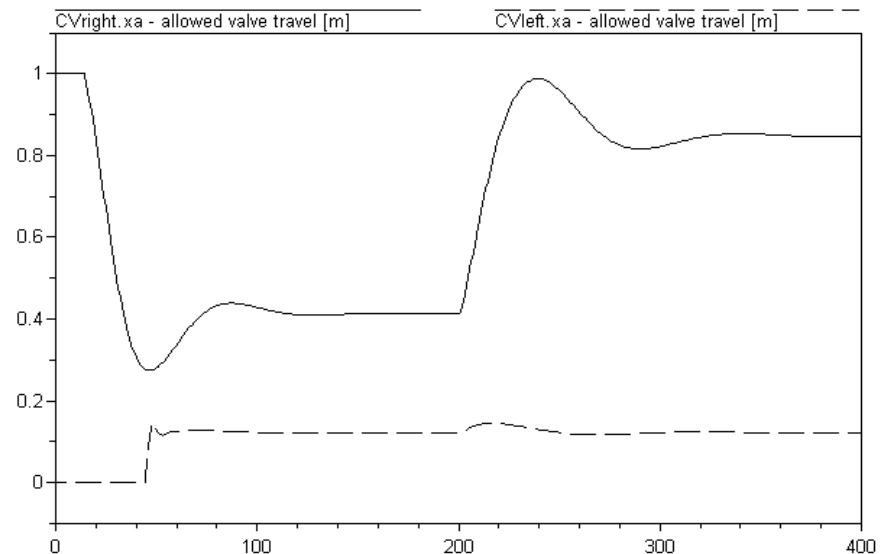
IV. Laboratory Test-Bed, Level Control Simulations

- Step (at $t=200\text{s}$) on the flow reference
(set-point of the flow controller in the main pump line)

$$q_{ref} = 1.75 \quad \text{to} \quad 2.75 \quad [\text{ltr/s}]$$



Upper tank levels

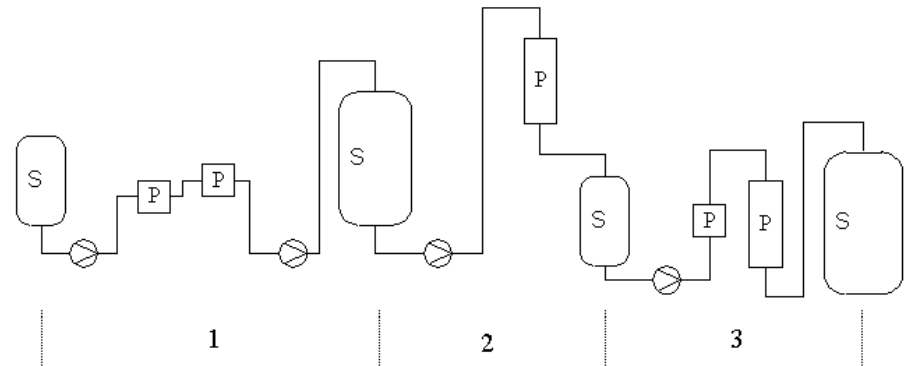


Level control valve positions

IV.

Process Plants

- Plant structure, segmentation
 - Flow sections (different maximum throughput capacities)
 - Vessels, intermediate buffer tanks
 - flow de-coupling

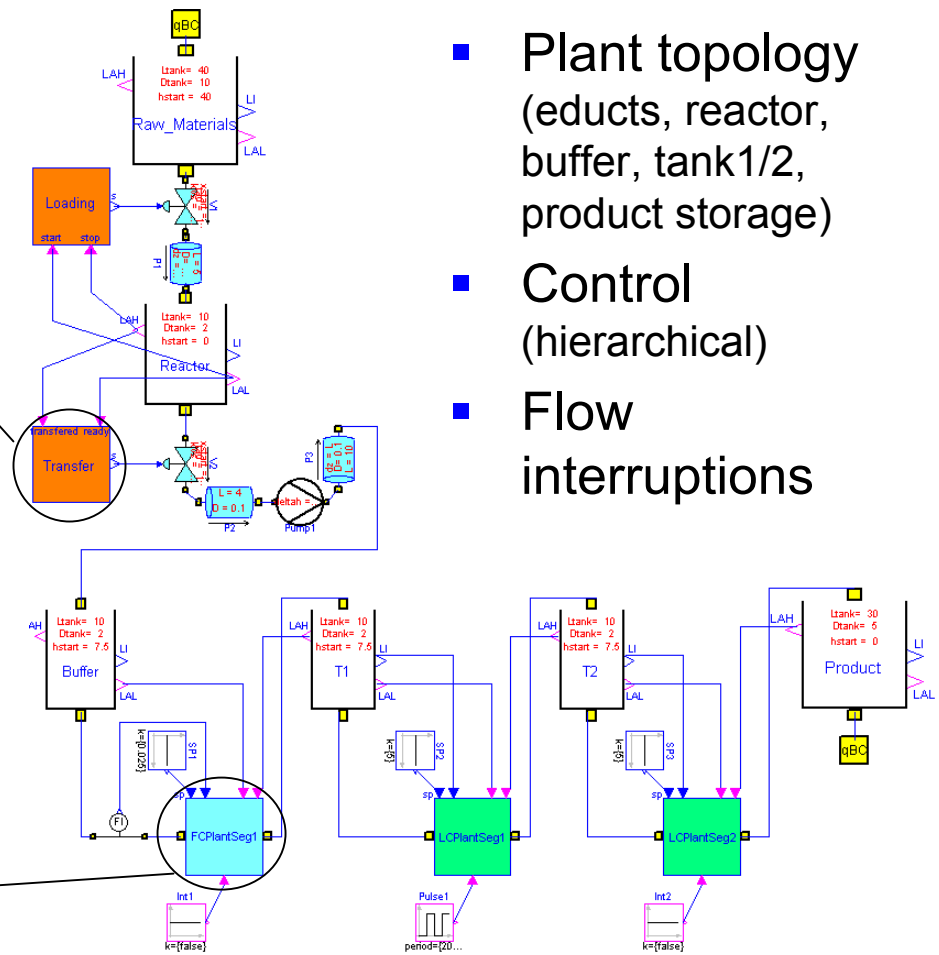
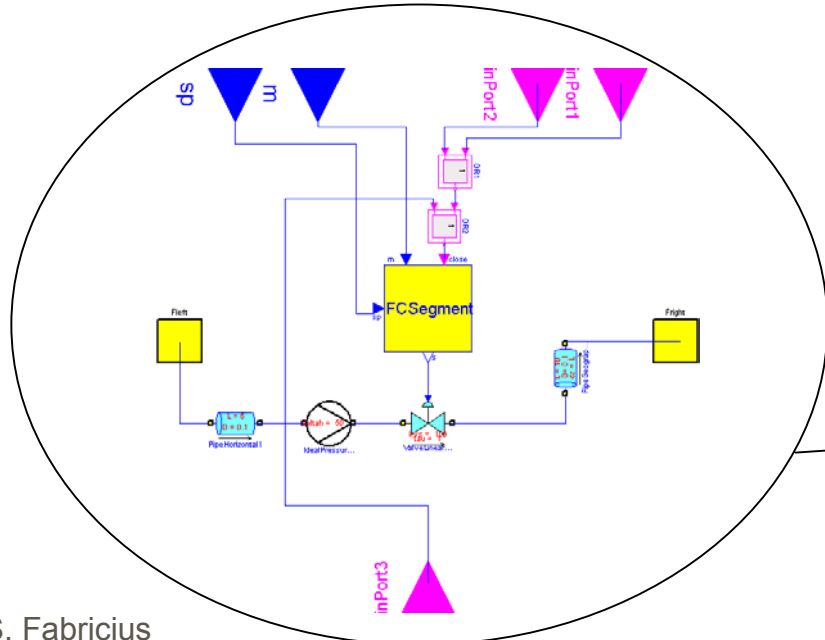
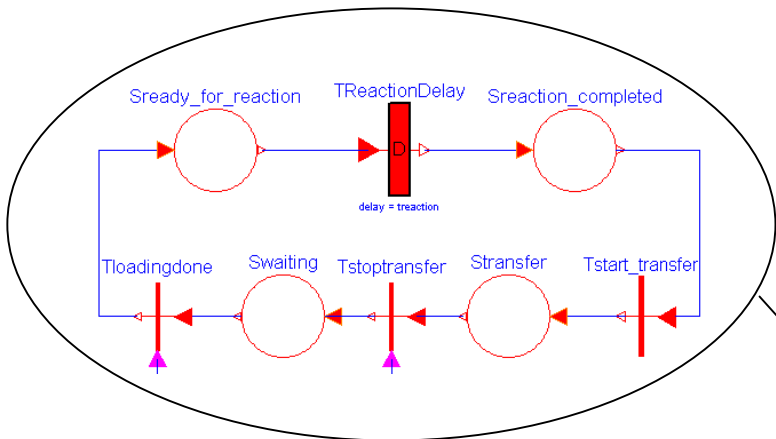


- Maintenance strategy definition
 - Account for mass flow dynamic effects
 - Component failure consequence (flow interruption propagation)
- Plant model, batch/continuous part

IV.

Simple Process Plant Structure

- Plant topology (educts, reactor, buffer, tank1/2, product storage)
- Control (hierarchical)
- Flow interruptions

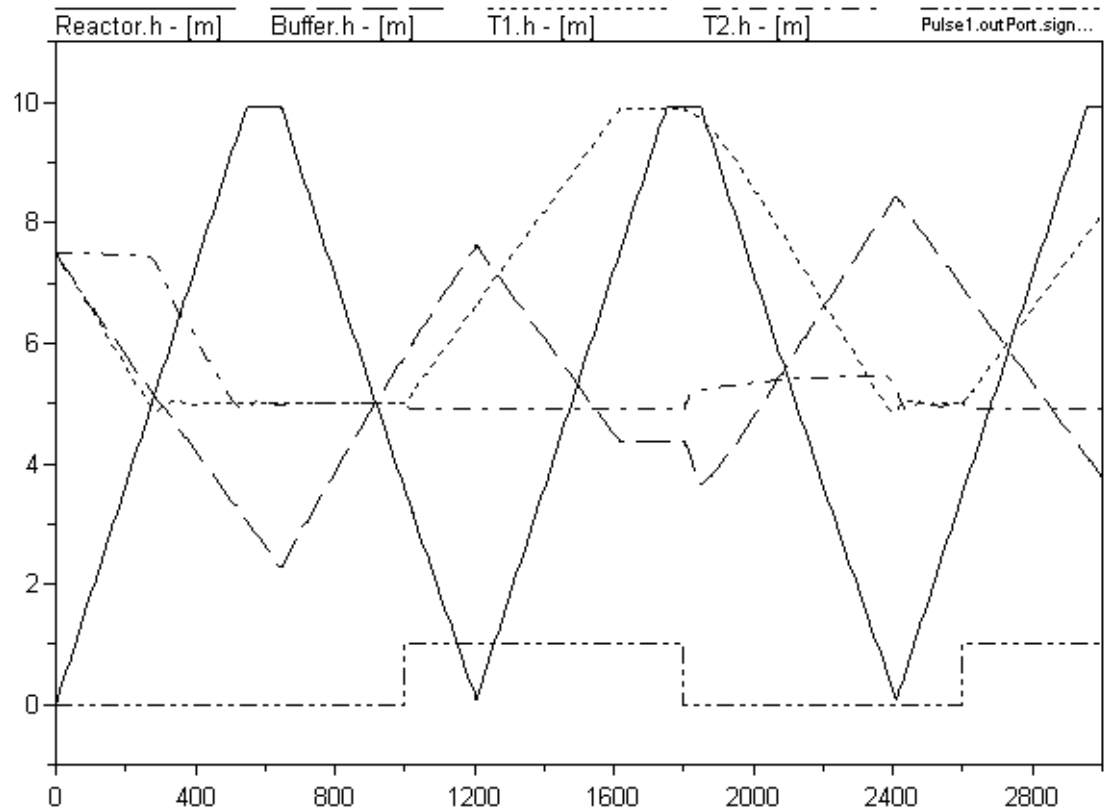


IV.

Process Plant Simulation

Flow interruption in the continuous part, of interest:

- Level behavior
- Flow interruption propagation
- Sensitivity to flow interruptions
 - Control strategy
 - Segment throughput capacities (bottle-neck location)
 - Tank sizes



Conclusions and Outlook

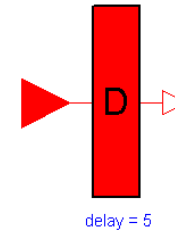
- Library allows to efficiently generate models of possibly large and complex mass flow networks (with their inherently non-linear behavior)
- Topology in the model remains similar to the real plant, intuitive
- Future:
 - Extend into thermal domain (e.g., heat exchange, combine with *Thermofluid* library?)
 - Bandwidth of characteristic times (different modes for normal operation to faulty behavior)
 - Online, real-time execution of models for fault monitoring
 - Initial value calculation, lower sensitivity to choice of starting values, Dymola next release?

VI. A. Petri Net (PN) Library

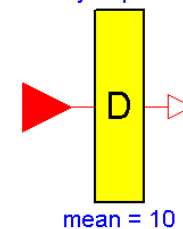
Extensions

- Basis: Modelica Standard library
- Extensions
 - Random firing delays on transitions
→ timed, stochastic PN
 - Places capable of holding more than one token, capacity limits
- Support:
 - DE simulation
 - Hybrid models

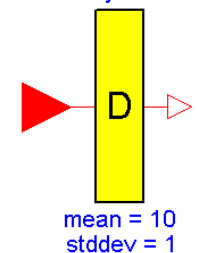
TDelayDeterministic



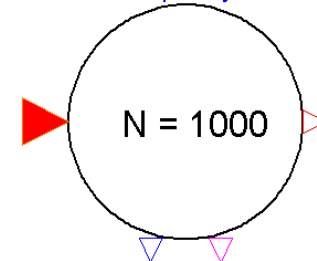
TDelayExponential



TDelayNormal



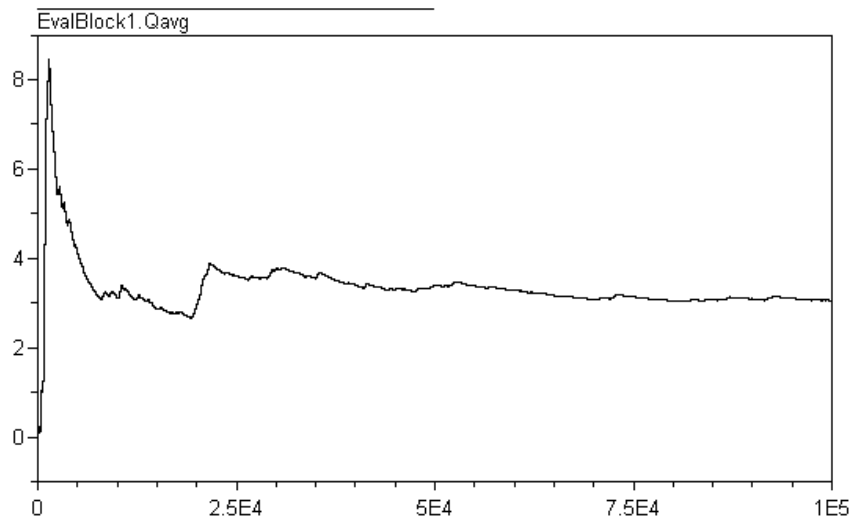
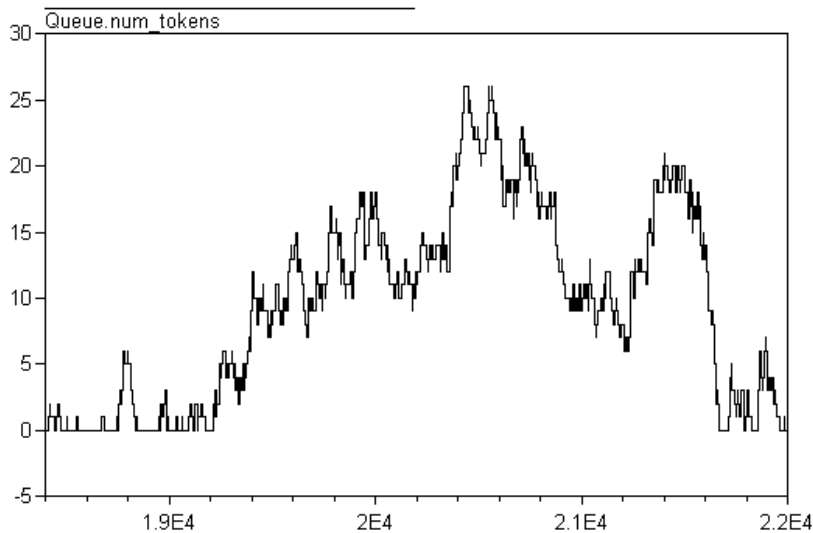
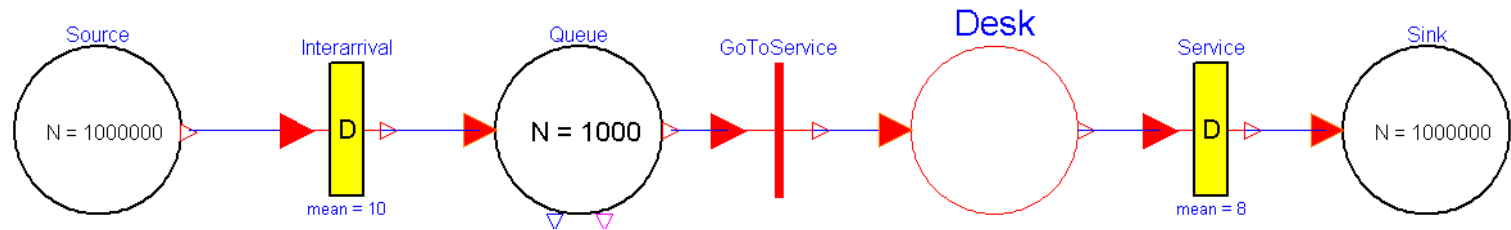
P11CapacityLimit



VI.

Example PN Model

- m/m/1 queuing system, average queue length



B. System Dynamics Library

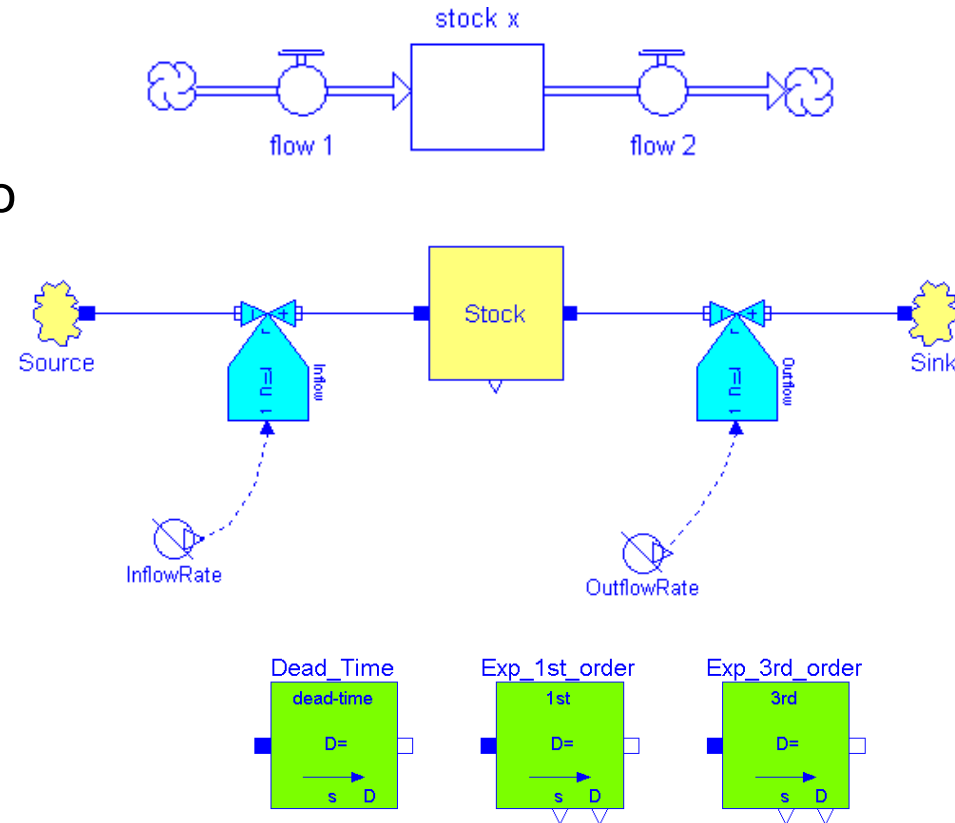
- Originator: J. Forrester „Industrial Dynamics“

- Level, rate equations
 - Information-feedback

- Tools: iThink (Stella), Vensim Powersim, Professional Dynamo

- Application areas
 - Social systems, business
 - Ecology, environmental
 - Biology

- Modelica library
 - Open, flexible, extendible
 - Combine with powerful features of available Modelica libraries
 - Multi-domain, multi-formalism
 - Hybrid models
 - Integrate socio-technical aspects



VI. Example System Dynamics Model

Prey-predator model, one time predator hunt, population development

